

# Separating the top backgrounds in Higgs self interactions using neural networks

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# Background

- ◆ The top pair decay  $t\bar{t} \rightarrow (bW^+)(\bar{b}W^-)$  and the Higgs pair decay  $HH \rightarrow (b\bar{b})(W^+W^-)$  have the same daughters
- ◆ The two can be mistaken especially when a low mass W boson of mass less than 40 GeV emerges as a top decay product

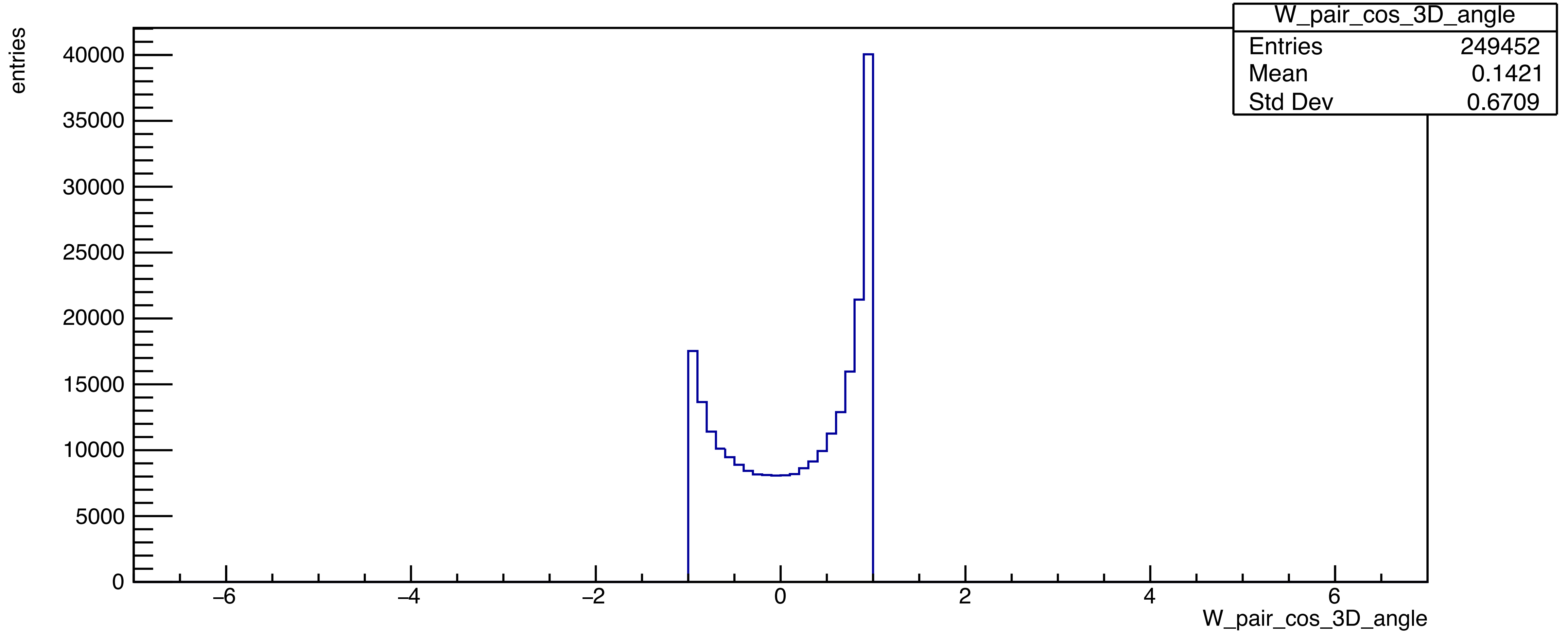
- ◆ Neural networks could easily distinguish kinetically modified top pair end states from those of the Higgs end states
- ◆ My goal is to modify data beyond kinematics in the MCatNLO + Herwig generated data in order to see if the Pytorch neural network can still distinguish the two end states

# Low Mass W Bosons

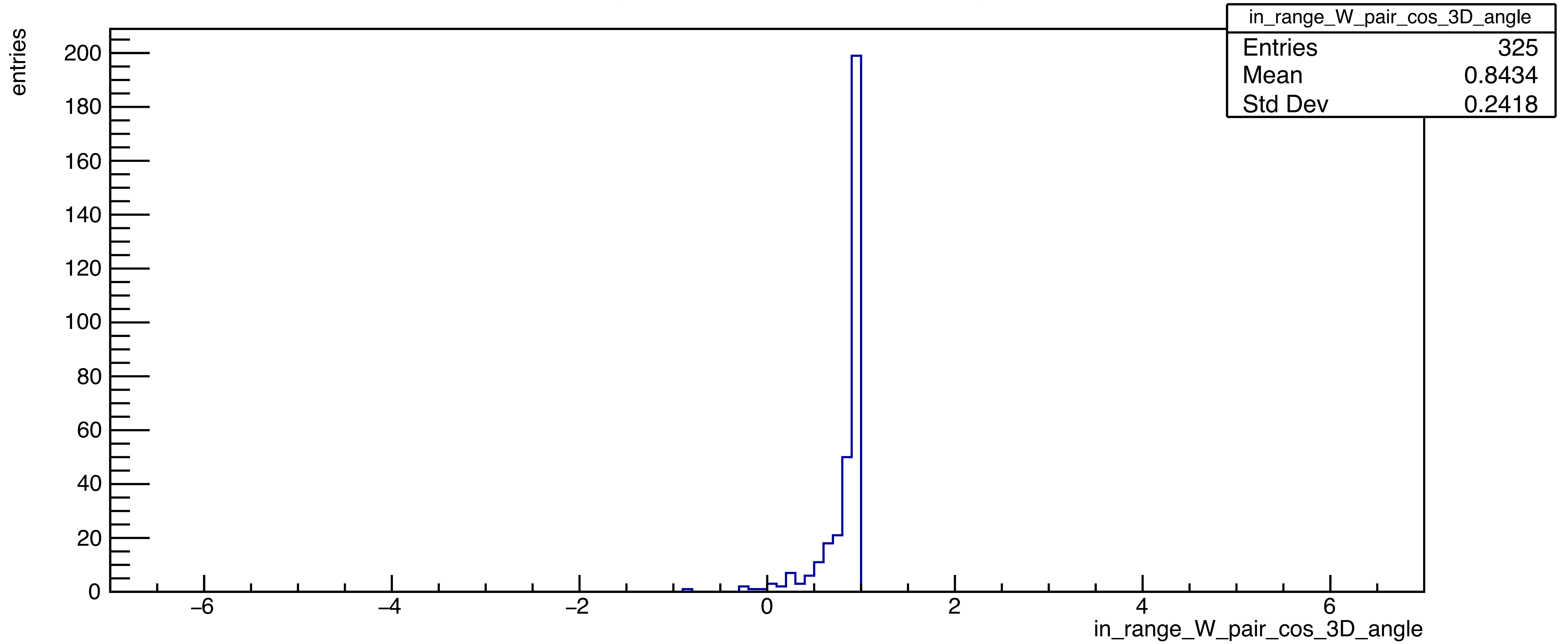
- ◆ On average, W bosons with mass less than 40 GeV occurred in only 9 out of 10,000 events in the MCatNLO data, making it difficult to train the neural network
- ◆ Acquiring more data through more iterations is impractical due to excessive computation time

- ◆ This leads to the practical need to modify the MCatNLO data and see when the low mass  $W$  bosons are emitted
- ◆ The ratio between  $\cos \theta$  distributions for  $W$  jets and for low mass  $W$  jets showed that low mass  $W$  bosons are 5 times more likely to be emitted when emitted in parallel to its pair

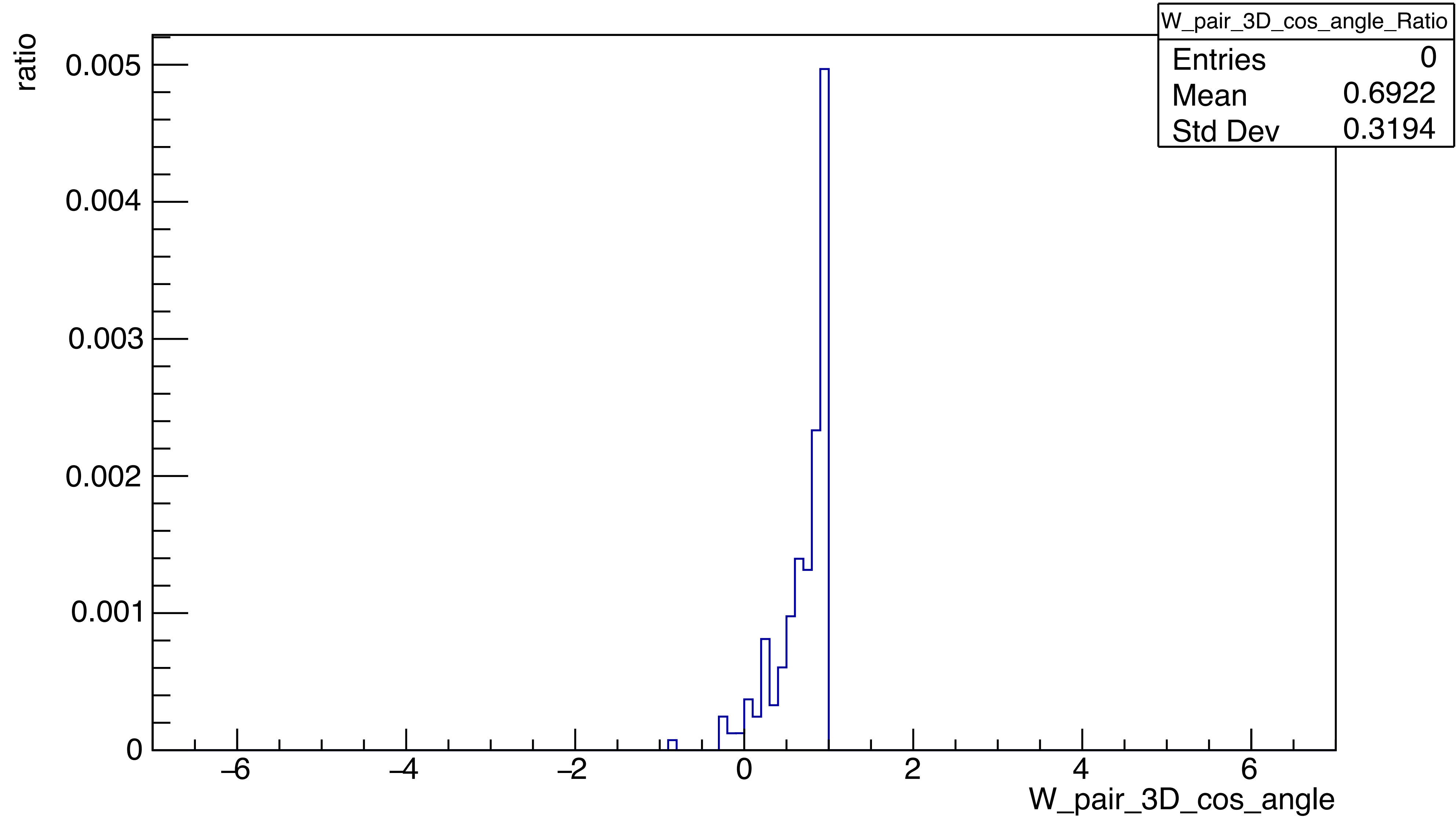
# W\_pair\_cos\_3D\_angle



# in\_range\_W\_pair\_cos\_3D\_angle



# W\_pair\_3D\_cos\_angle\_Ratio





# Two Body Kinematics

- ◆ The above coincides with basic results in two body kinematics
- ◆ In the rest frame of a particle of mass  $M$  decaying into particles of masses  $m_1$  and  $m_2$ , the total center of mass energy  $E$  can be expressed in the Lorentz invariant form —
- ◆  $E^2 = m_1^2 + m_2^2 + 2E_1E_2(1 - \beta_1\beta_2 \cos \theta)^2$ , confirming that  $E$  would be minimum when  $\theta = 0$  (PDG, 49.2)

- ◆ Therefore, one rotates and scales the MCatNLO events so that more low mass W bosons can be reconstructed
- ◆ The energies and the momenta of the two decay products of a mass  $M$  particle can be expressed as:

- ◆ 
$$E_1 = \frac{M^2 - m_2^2 + m_1^2}{2M} \text{ and } |\vec{p}_1| = |\vec{p}_2| = \frac{1}{2M} \sqrt{\Lambda(M^2, m_1^2, m_2^2)},$$

where  $\Lambda$  is the Källén function (PDG, 49.17)

# The Rotation Procedure

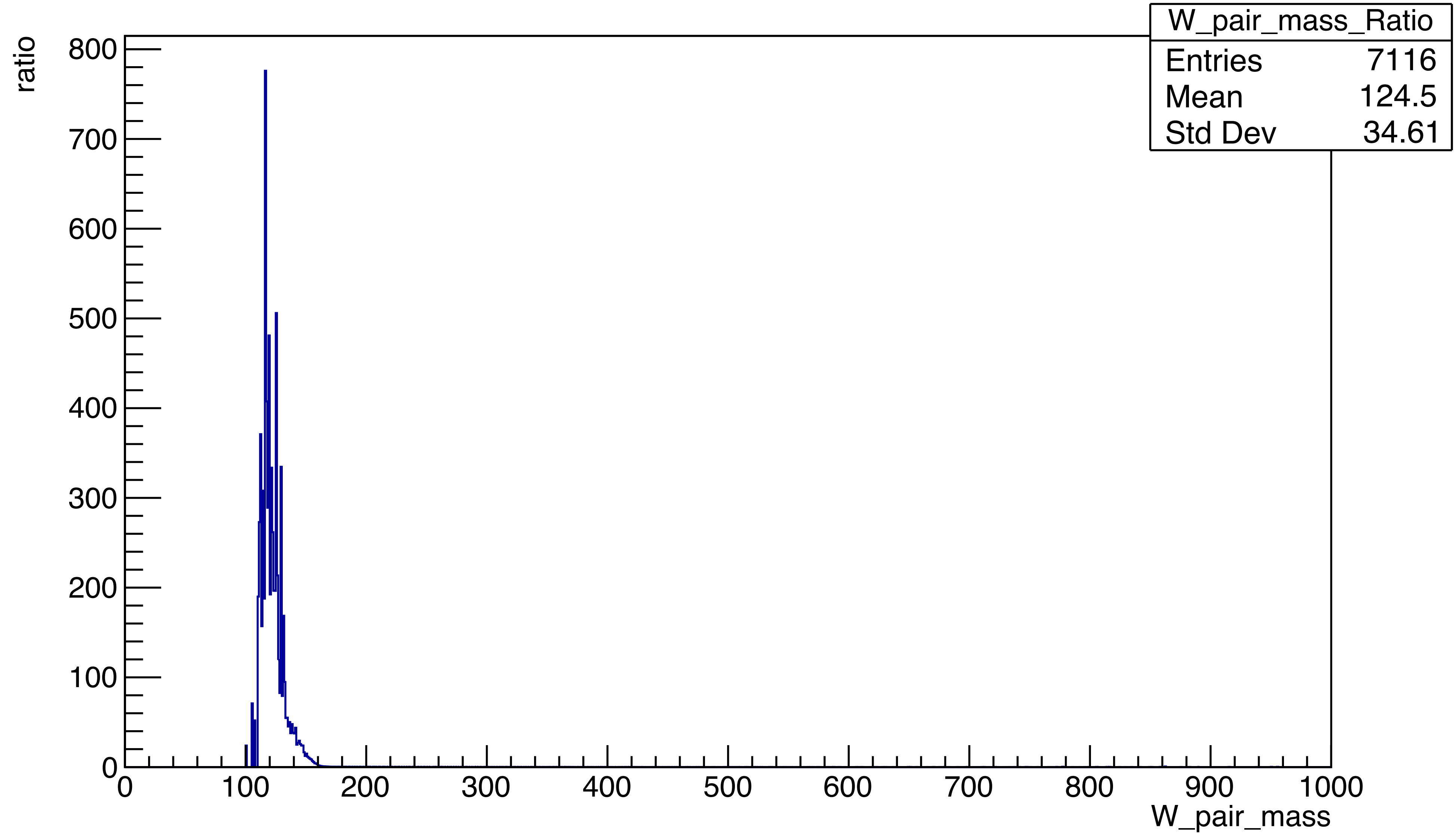
1. Boost the top pair into its rest frame
2. Boost the top decay products into their top parent rest frame
3. Boost the anti-top decay products into their anti-top parent rest frame
4. If a  $W$  jet has mass  $< 80$  GeV, then rotate the  $W$  jet so that it is parallel to the other  $W$  jet

5. Scale that W jet mass along with the bottom jet from the same top parent by a factor of 0.41 using equation (PDG, 49.17)
6. Boost that W jet's decay products into their W parent rest frame and rotate them according to equation (PDG, 49.17)
7. Undo all boosts in reverse order and repeat this procedure on the whole data set

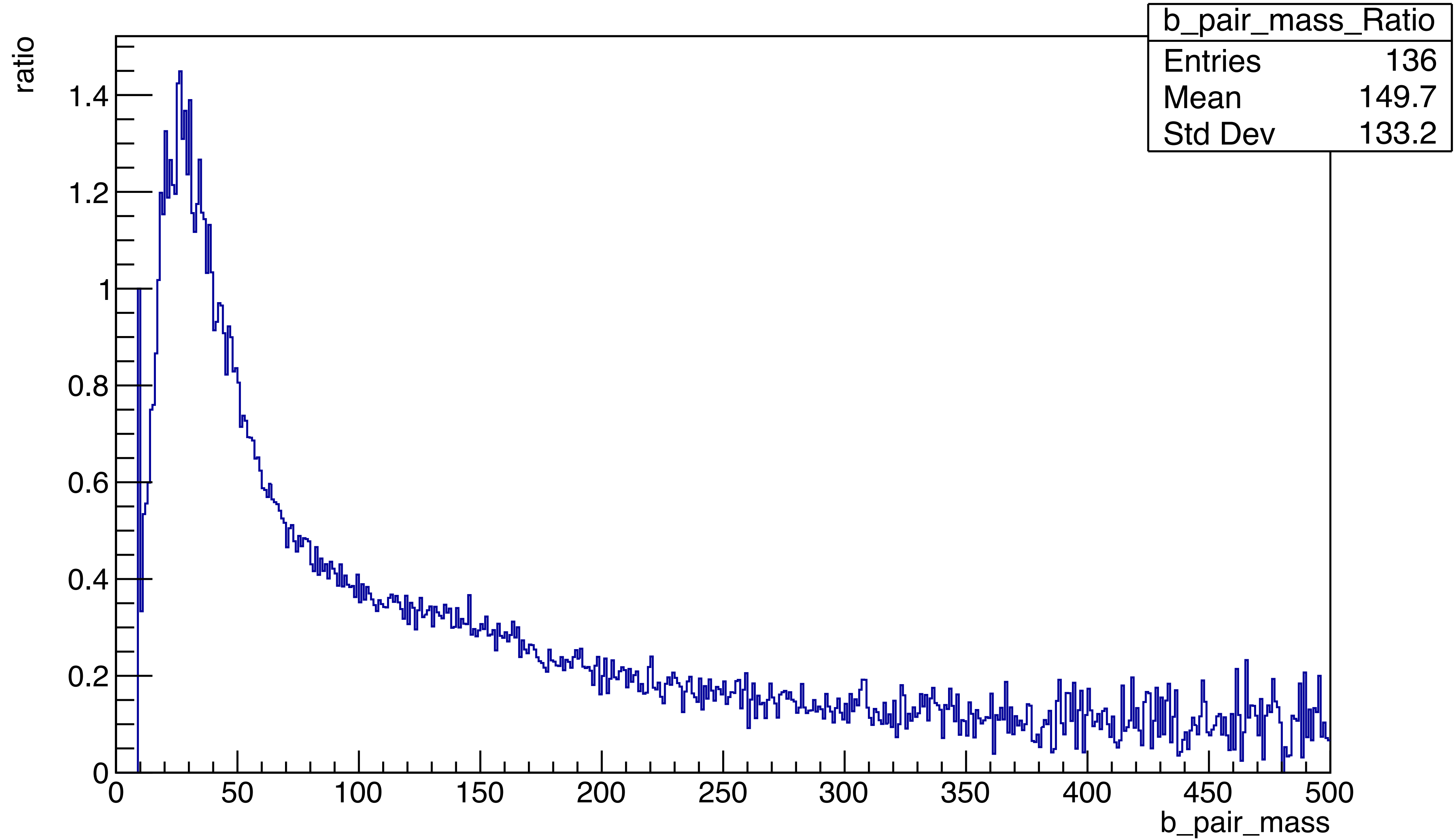
# Larger Event Number Histograms

- ◆ Compare the new histograms for the pair masses after rotation to the histograms for the pair masses with larger number of events before rotation
- ◆ Scale the larger event number histogram before rotation so that it covers the new one up to the point where the W boson pair mass is 125 GeV, using the ratio between the old and the new pair mass histograms
- ◆ That requires the old histograms for the W and the b pair masses to be scaled by at least 200 and 1.5 times respectively

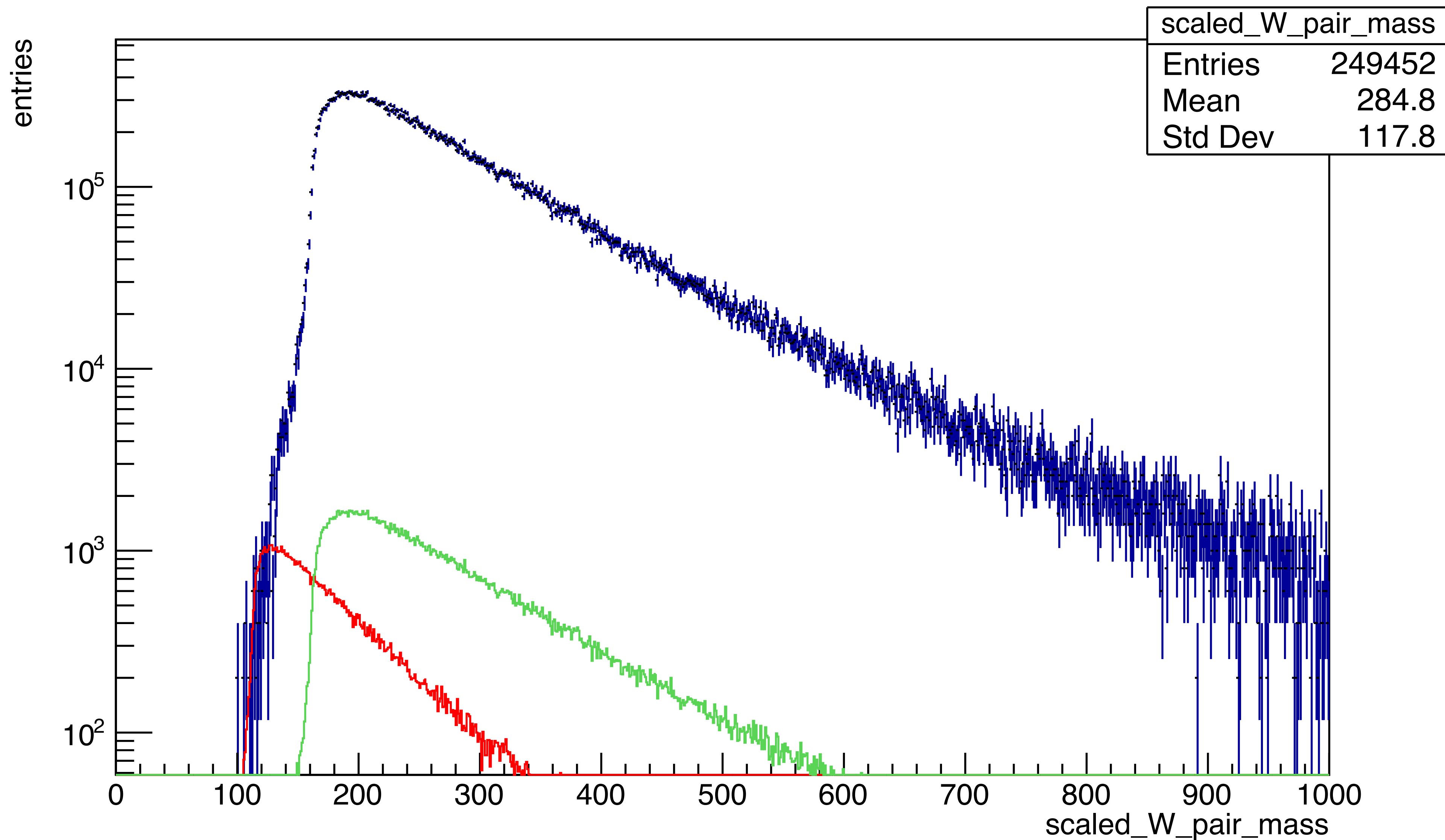
# W\_pair\_mass\_Ratio



# b\_pair\_mass\_Ratio

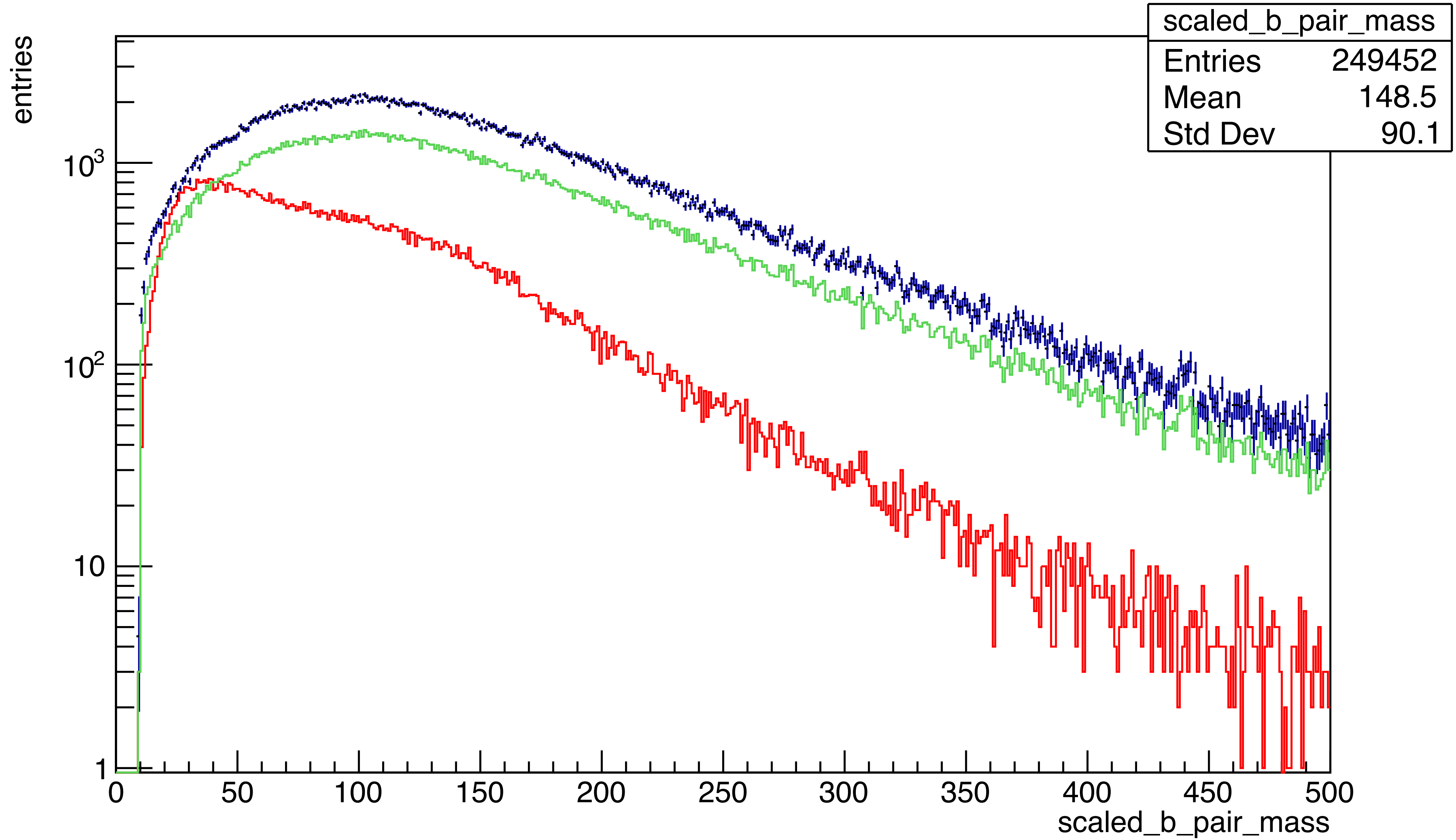


# scaled\_W\_pair\_mass





# scaled\_b\_pair\_mass



- ◆ The red histograms represent the pair mass distributions after the rotation procedure
- ◆ The green ones represent the ones from before
- ◆ The blue ones represent the ones from before the rotation procedure, but with more events

# Training the Neural Network

- ◆ The input data sets are the events after rotation and the events before rotation but with larger event numbers
- ◆ The features to be tested are the pseudorapidity  $\eta$ , the angular distance  $\Delta R$ , the mass  $M$ , and the transverse momenta  $p_T$