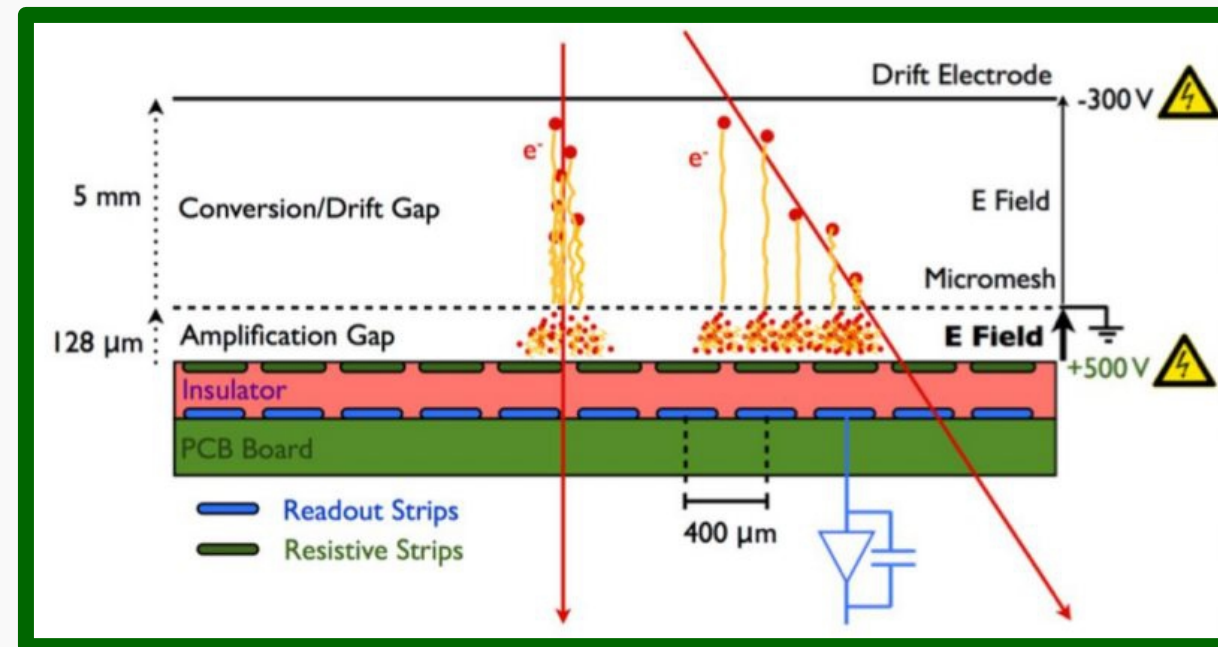
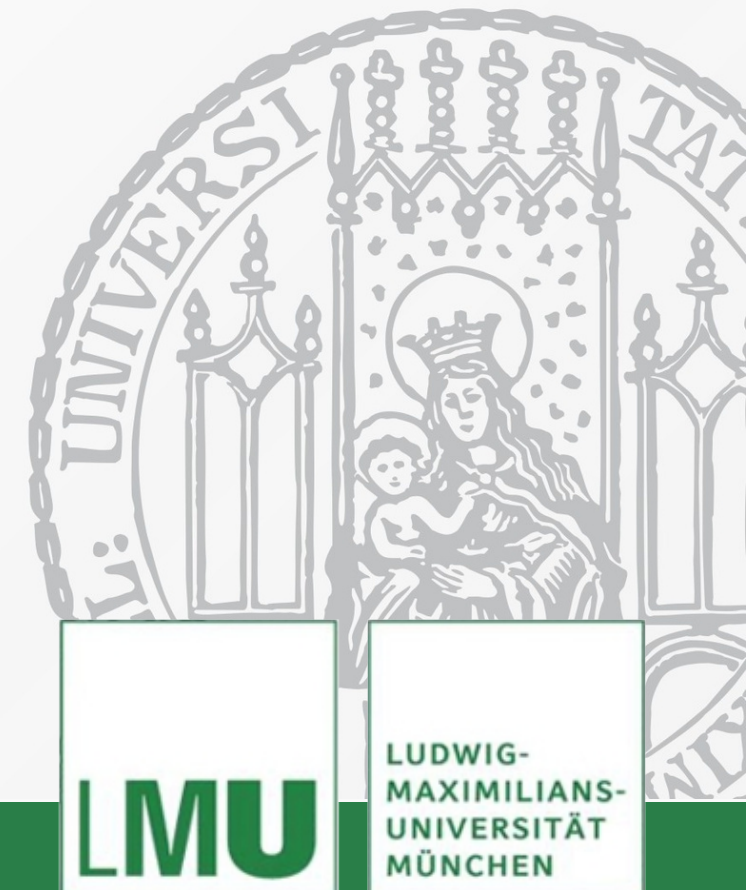


Particle Track Analysis using Neural Networks



WEEKLY HARDWARE MEETING

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19 September 2024



The datasets and neural network

4 datasets for track inclination of 29° :

- Amplification voltage 520V/530V and peaking time 100ns/200ns.
- ~150 000 events per dataset
- Split in 80% for training and 20% for validation

Events with >20 strips (1.9% of data) were discarded in this try to avoid too much 0-padding

Neural network with 3 hidden layers (300+200+100) :

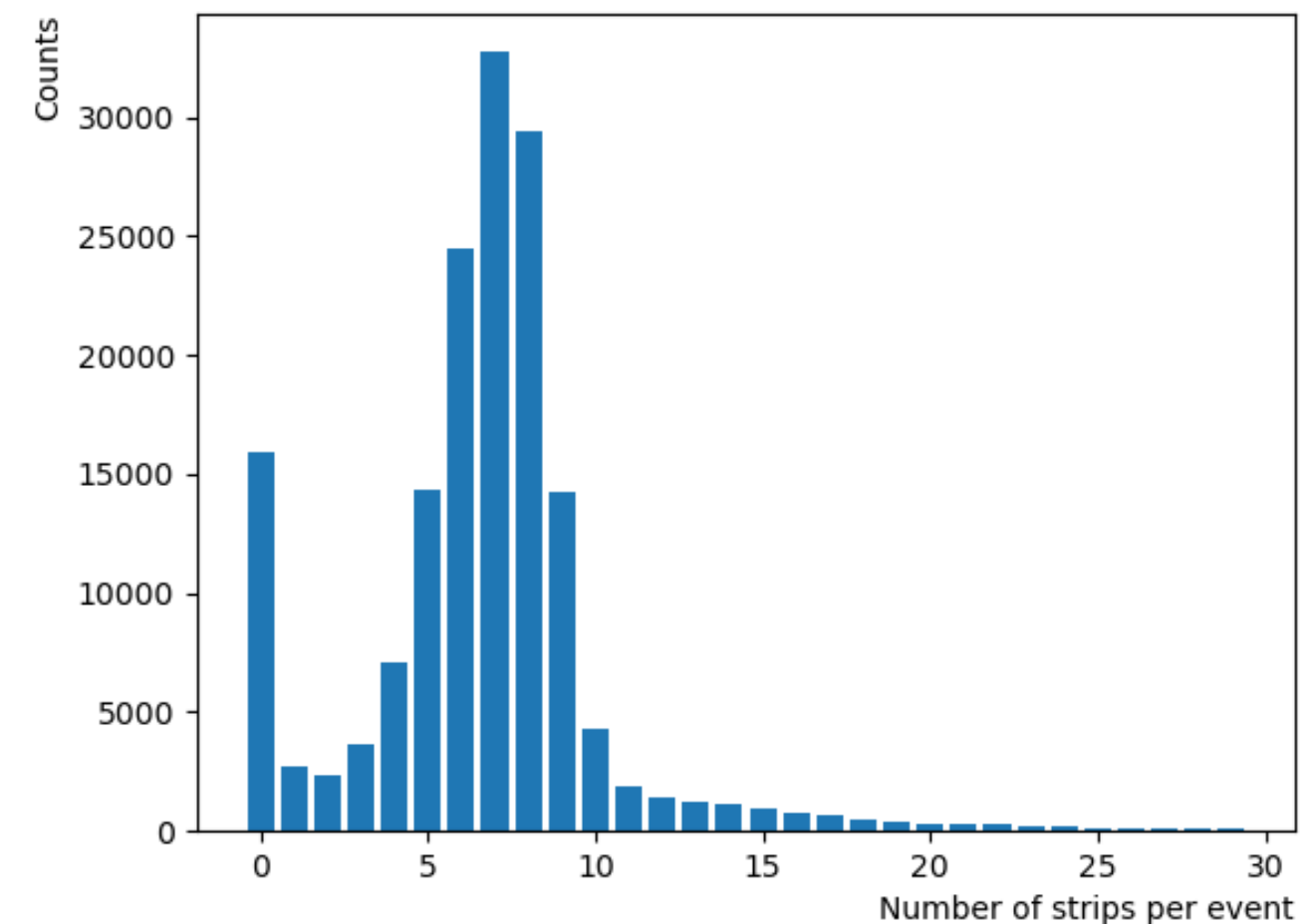
Epochs : 500-1000

Optimizer : Adam

Learning rate : 0.01 to 0.0001

Plan :

- 1) Train a single NN for each dataset and compare how each NN reconstructs each dataset
- 2) Train a NN with the whole data and compare how it reconstructs each dataset.



Distribution of the number of strips per event.

4 different neural networks :

Model : Dataset :	520V 100ns		520V 200ns		530V 100ns		530V 200ns	
	Single Gaussian :	Double Gaussian :	Single Gaussian :	Double Gaussian :	Single Gaussian :	Double Gaussian :	Single Gaussian :	Double Gaussian :
520V 100ns	Efficiency : 89.0%		Efficiency : 87.6%		Efficiency : 88.1%		Efficiency : 87.1%	
	$\sigma = 175 \mu\text{m}$	$\sigma_1 = 143 \mu\text{m}$ $\sigma_2 = 348 \mu\text{m}$	$\sigma = 171 \mu\text{m}$	$\sigma_1 = 147 \mu\text{m}$ $\sigma_2 = 392 \mu\text{m}$	$\sigma = 173 \mu\text{m}$	$\sigma_1 = 143 \mu\text{m}$ $\sigma_2 = 362 \mu\text{m}$	$\sigma = 185 \mu\text{m}$	$\sigma_1 = 153 \mu\text{m}$ $\sigma_2 = 368 \mu\text{m}$
520V 200ns	Efficiency : 90.1%		Efficiency : 90.0%		Efficiency : 90.5%		Efficiency : 89.7%	
	$\sigma = 200 \mu\text{m}$	$\sigma_1 = 167 \mu\text{m}$ $\sigma_2 = 431 \mu\text{m}$	$\sigma = 186 \mu\text{m}$	$\sigma_1 = 164 \mu\text{m}$ $\sigma_2 = 506 \mu\text{m}$	$\sigma = 196 \mu\text{m}$	$\sigma_1 = 161 \mu\text{m}$ $\sigma_2 = 404 \mu\text{m}$	$\sigma = 198 \mu\text{m}$	$\sigma_1 = 163 \mu\text{m}$ $\sigma_2 = 409 \mu\text{m}$
530V 100ns	Efficiency : 88.7%		Efficiency : 88.5%		Efficiency : 89,2%		Efficiency : 88.4%	
	$\sigma = 170 \mu\text{m}$	$\sigma_1 = 139 \mu\text{m}$ $\sigma_2 = 309 \mu\text{m}$	$\sigma = 163 \mu\text{m}$	$\sigma_1 = 142 \mu\text{m}$ $\sigma_2 = 378 \mu\text{m}$	$\sigma = 164 \mu\text{m}$	$\sigma_1 = 136 \mu\text{m}$ $\sigma_2 = 332 \mu\text{m}$	$\sigma = 170 \mu\text{m}$	$\sigma_1 = 143 \mu\text{m}$ $\sigma_2 = 345 \mu\text{m}$
530V 200ns	Efficiency : 90.4%		Efficiency : 90.5%		Efficiency : 91.1%		Efficiency : 90,2%	
	$\sigma = 189 \mu\text{m}$	$\sigma_1 = 165 \mu\text{m}$ $\sigma_2 = 467 \mu\text{m}$	$\sigma = 173 \mu\text{m}$	$\sigma_1 = 154 \mu\text{m}$ $\sigma_2 = 463 \mu\text{m}$	$\sigma = 183 \mu\text{m}$	$\sigma_1 = 159 \mu\text{m}$ $\sigma_2 = 450 \mu\text{m}$	$\sigma = 180 \mu\text{m}$	$\sigma_1 = 148 \mu\text{m}$ $\sigma_2 = 361 \mu\text{m}$

Notes : -Efficiency is here the percentage of event positions reconstructed with the residual in range of -2mm to 2mm.
 -When model and dataset match, only 20% of the dataset is used because of the train/validation split.

Higher voltage : better accuracy and often better efficiency
 Higher peaking time : better efficiency but worse accuracy

Neural network trained on all datasets

Datasets :	Efficiency :	Single Gaussian fit	Double Gaussian fit
All 4	92.44%	$\sigma = 179 \mu\text{m}$	$\sigma_1 = 149 \mu\text{m}$ $\sigma_2 = 383 \mu\text{m}$
520V 100ns	90.7%	$\sigma = 178 \mu\text{m}$	$\sigma_1 = 151 \mu\text{m}$ $\sigma_2 = 386 \mu\text{m}$
520V 200ns	93.1%	$\sigma = 191 \mu\text{m}$	$\sigma_1 = 145 \mu\text{m}$ $\sigma_2 = 329 \mu\text{m}$
530V 100ns	92.2%	$\sigma = 167 \mu\text{m}$	$\sigma_1 = 138 \mu\text{m}$ $\sigma_2 = 383 \mu\text{m}$
530V 200ns	94.1%	$\sigma = 181 \mu\text{m}$	$\sigma_1 = 156 \mu\text{m}$ $\sigma_2 = 438 \mu\text{m}$

Same result than before concerning voltage and peaking time.

Efficiency is higher, this could hint that the neural network would benefit from bigger datasets.

Resolution for each dataset is slightly worse than in the case of individually trained NNs.

	Cluster 1						Cluster 2				
Strip position	673,73	674,15	674,58	675	675,43	...	982,28	982,7	983,13	983,55	983,98
Strip charge	100	108	124	183	128	...	73	122	106	87	74
Strip timing	36,8	53,4	51,2	77,5	67,6	...	11,3	23,9	29,3	36,3	62,1

Example of an event that requires clustering

Attempts with conventional algorithms :

Choose cluster with most strips, with 0 or 1 gap (missing strip) allowed : ❌

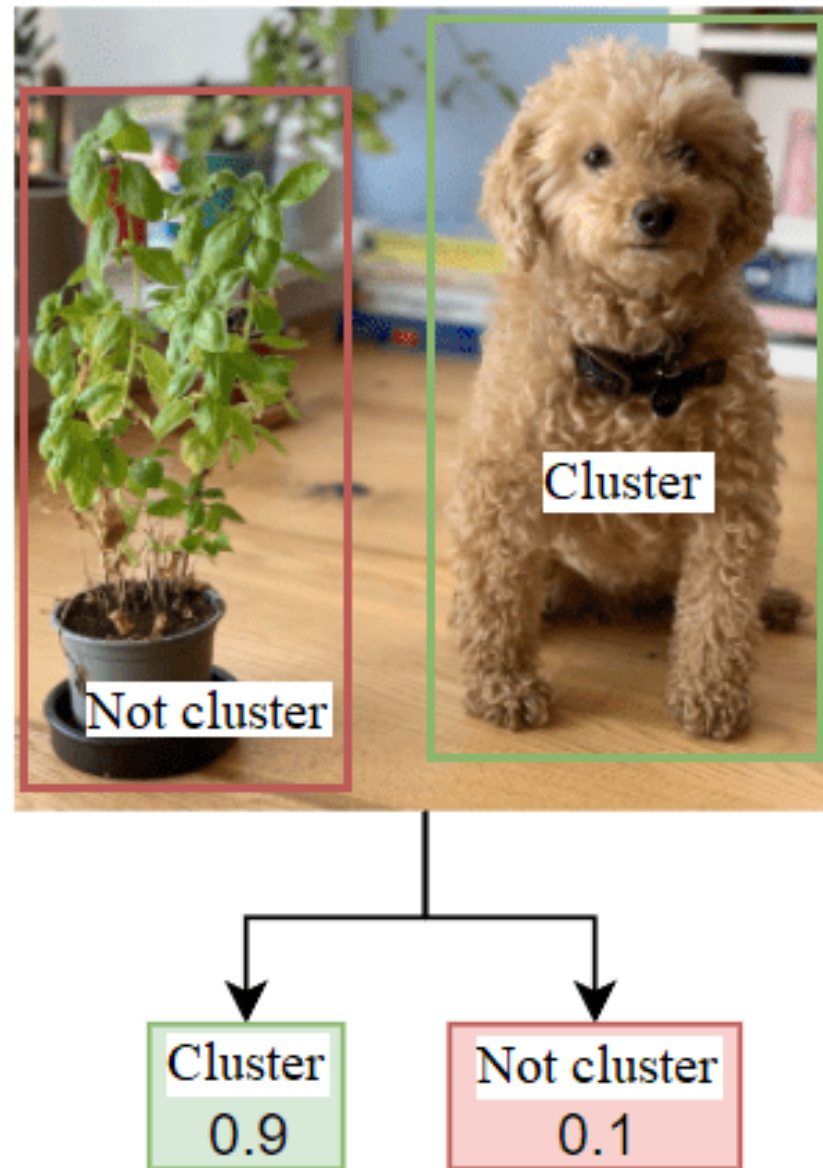
Choose cluster with highest total or mean charge : ❌

Discard clusters with $-100\text{ns} < \text{timing} < 200\text{ns}$: ❌

Other desperates attempts : ❌

Clustering with classification neural network ?

Binary Classification



Train a classification neural network :

First idea :

Similar to image recognition, it could be trained to form clusters of varying size with a likelihood value between 0 and 1.

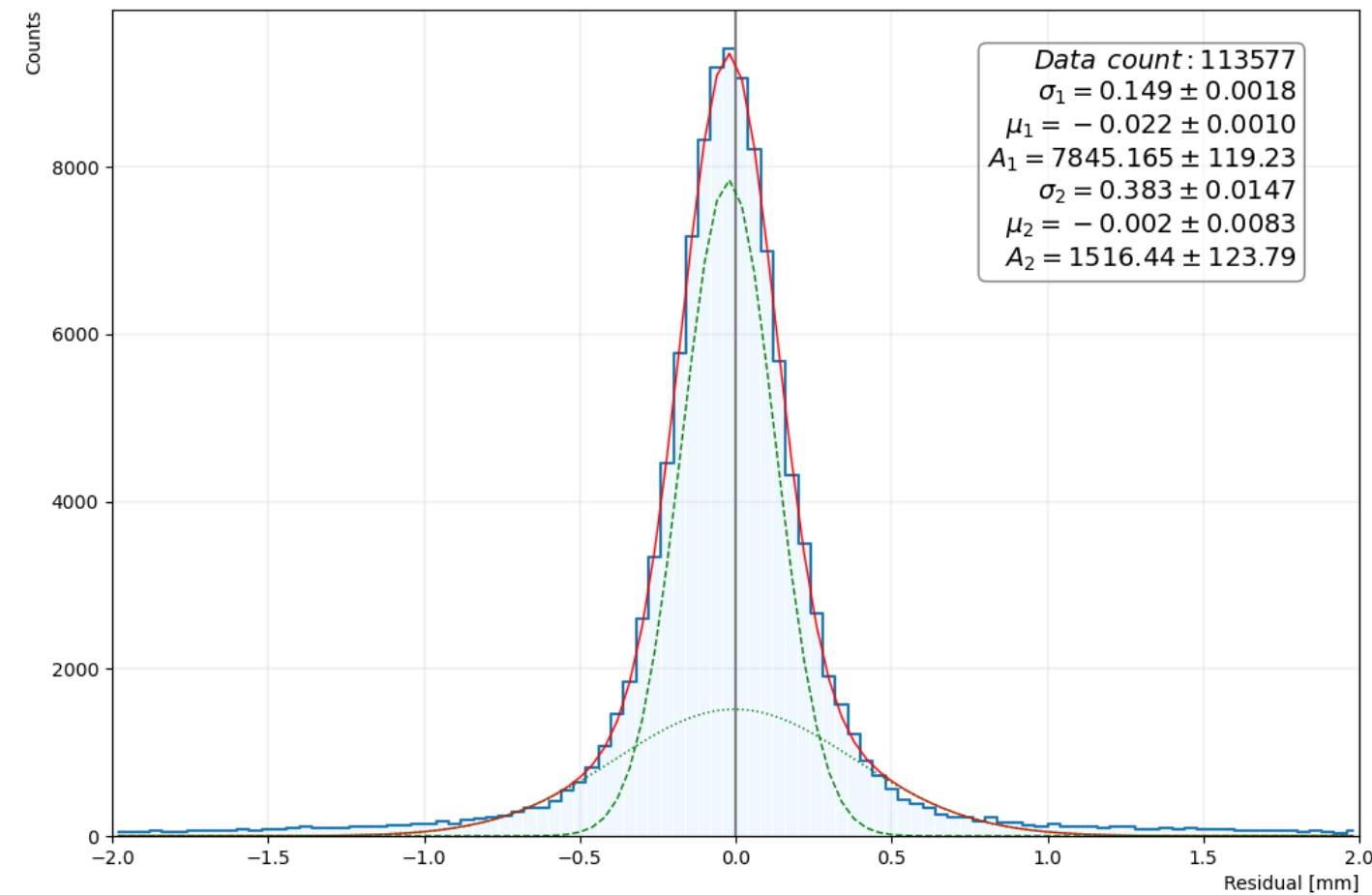
But : data may lack features compared to images with millions of pixels.

Second idea :

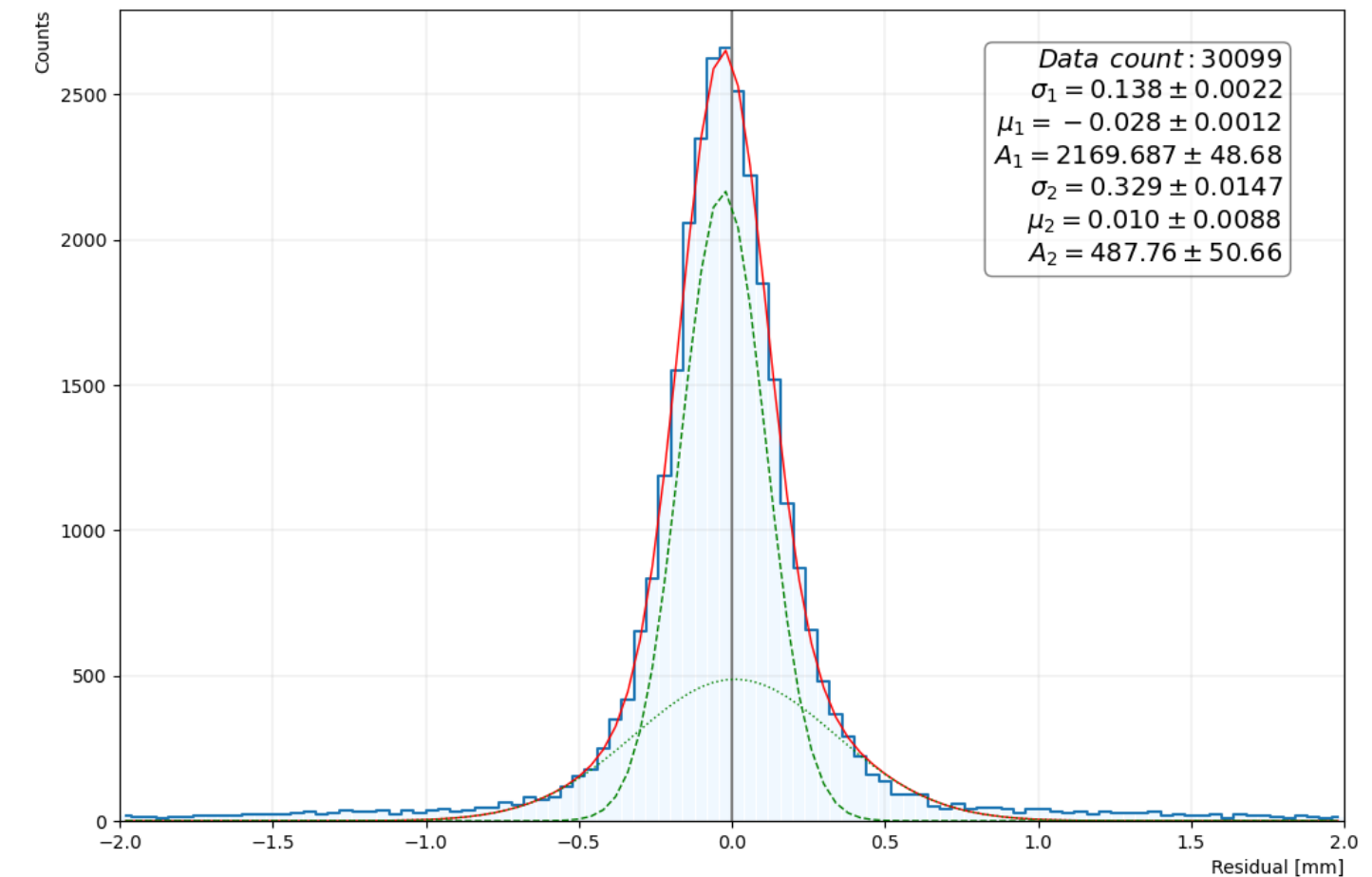
Classification that gives a likelihood for each strip to be in the correct cluster. Followed by a conventional algorithm to form the cluster with the most likelihood.

Modified image from mathworks.com (Source original file)

Backup : Plots on NN trained on all datasets

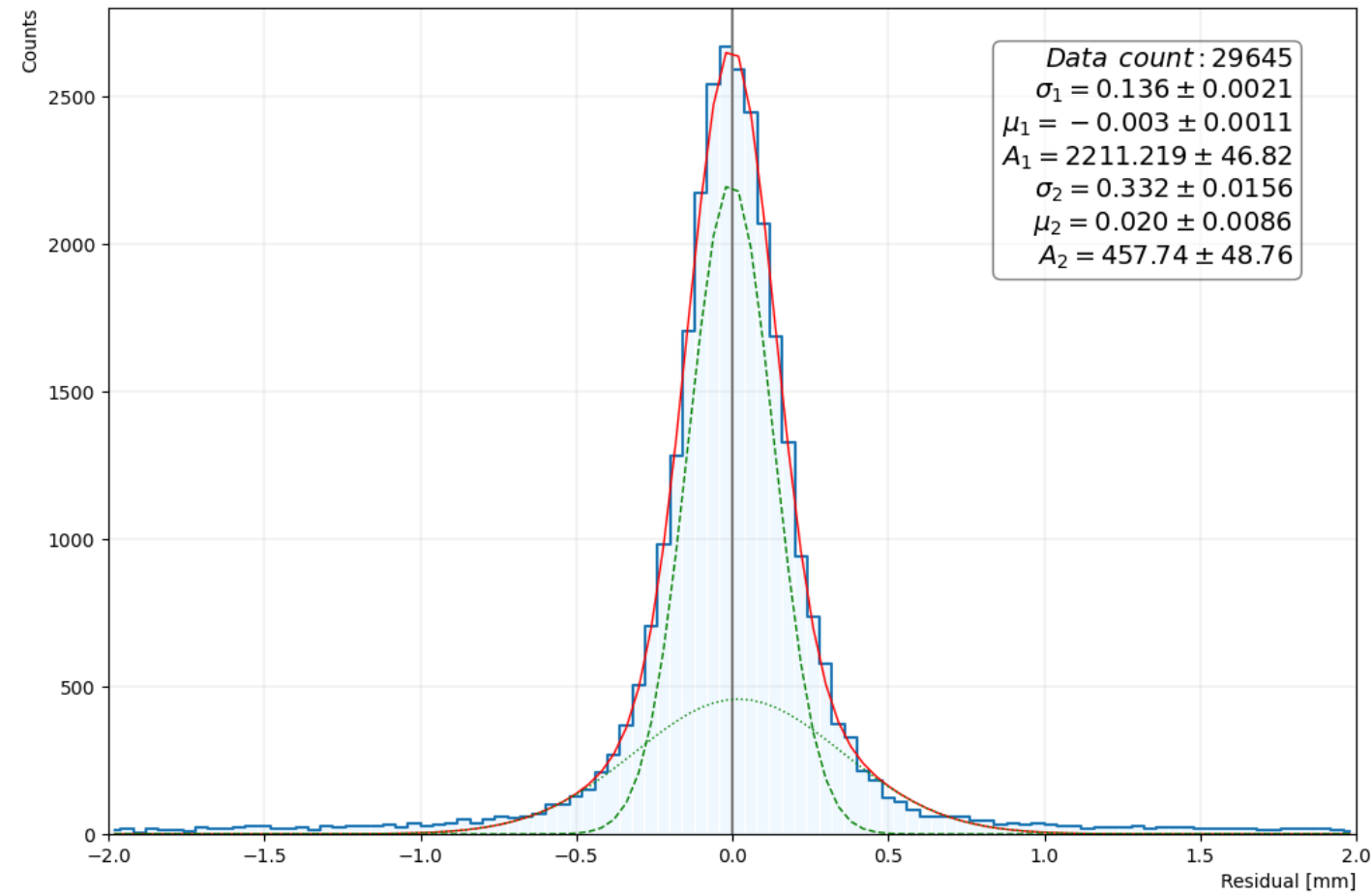


Reconstructed position residuals for the 4 datasets in the NN trained on the 4 datasets
 $\text{Chi}^2 / \text{Ndf} (-0.8 \text{ to } 0.8\text{mm}) = 217.5284 / 34$
Efficiency (-2mm to 2mm) : 92.4%



Reconstructed position residuals for the dataset 530V100ns in the NN trained on the 4 datasets
 $\text{Chi}^2 / \text{Ndf} (-0.8 \text{ to } 0.8\text{mm}) = 112.2575 / 34$
Efficiency (-2mm to 2mm) : 92.2%

Backup : Plots on NN trained on single dataset

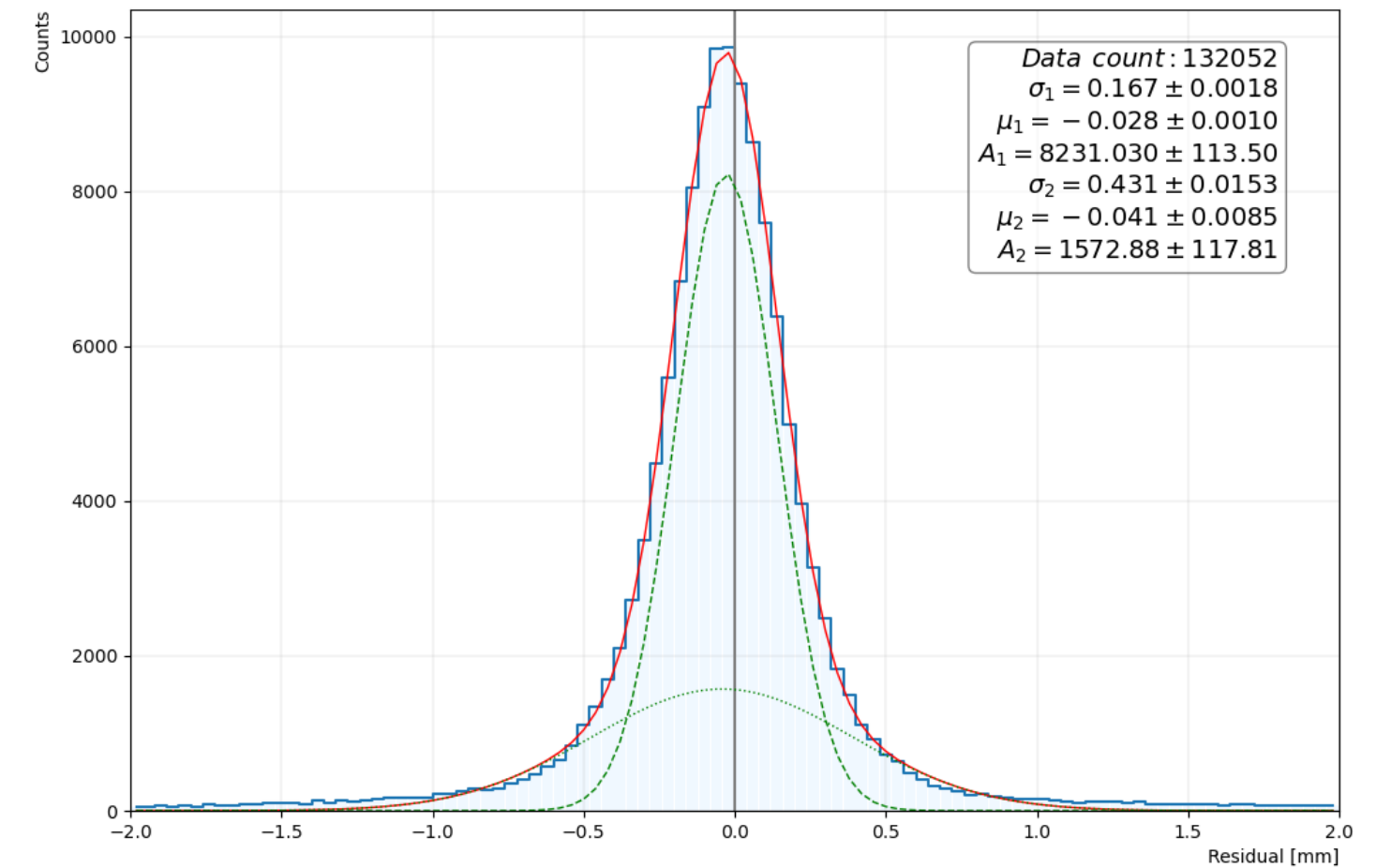


Reconstructed position residuals for the dataset 530V100ns in the NN trained on the same dataset

Best result in term of σ

$\text{Chi}^2 / \text{Ndf} (-0.8 \text{ to } 0.8\text{mm}) = 130.4580 / 34$

Efficiency (-2mm to 2mm) : 89,2%



Reconstructed position residuals for the dataset 520V200ns in the NN trained on the dataset 520V100ns

Worst result in term of σ

$\text{Chi}^2 / \text{Ndf} (-0.8 \text{ to } 0.8\text{mm}) = 228.9782 / 34$

Efficiency (-2mm to 2mm) : 90,1%

Backup : Question about χ^2 goodness of fit

$$\chi^2 = \sum_{i=1}^n \frac{(O_i - E_i)^2}{E_i}$$

O_i = an observed count for bin i
 E_i = an expected count for bin i