MovingChargeDensity





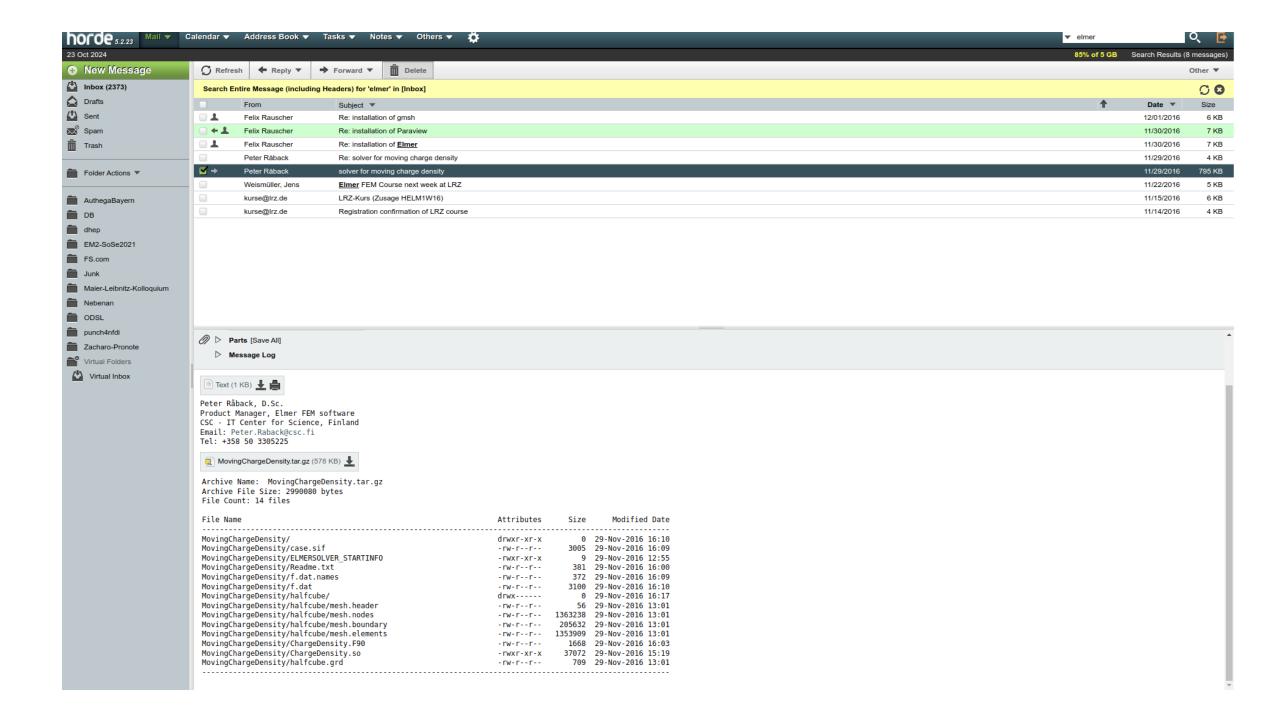
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Elmer > Elmer

	Elmer
Elmer	Elmer is an open source multiphysical simulation software mainly developed by CSC - IT Center for Science
	(CSC). Elmer development was started as national collaboration with Finnish Universities, research institutes
Binaries	and industry. After it's open source publication, the use and development of Elmer has become largely international.
Sources and compilation	Elmer includes physical models of fluid dynamics, structural mechanics, electromagnetics, heat transfer and
	acoustics, and beyond. These are described by partial differential equations which Elmer solves by the Finite
	Element Method (FEM). Elmer supports parallel computing. For many problems good scalability over
Documentation	thousands of cores is reached.
	The development of Elmer has been pushed forward by numerous R&D projects where the capabilities have
	been gradually extended. Currently the most notable use fields are computational glaciology and
White papers	computational electromagnetics. Elmer with its ice-related modules, known as Elmer/Ice, has a large
	international community and dedicated portal, see elmerice.elmerfem.org. In electromagnetics Elmer team is
Application examples	part of The Centre of Excellence in High-Speed Electromechanical Energy Conversion Systems
	(HiECSs), www.aalto.fi/en/hiecs. There are also many other niche areas where Elmer offers competitive
	solutions, for example in fluid-structure interaction, and thermal problems involving thermal radiation.
User forums	These pages are intended to give basic information on the Elmer software. The content of the pages is rather
	static, For more concurrent information visit the community portal at http://www.elmerfem.org.
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```
This is a gaussian change density that at the start of each timestep
 reads in parameters that characterize the charge density profile.
 As the routine is called many times this is done only for the 1st node.
 The user should compute the normalization factor and determine the
 parameters. All the parameters of the charge density may be time-dependent.
 See in the sif file how the y-coordinate is treated.
FUNCTION GaussianCharge( Model, n, t ) RESULT(f)
 USE DefUtils
 IMPLICIT NONE
 TYPE(Model t) :: Model
 INTEGER :: n
 REAL(KIND=dp) :: t, f
 INTEGER :: timestep, prevtimestep = -1
REAL(KIND=dp) :: Alpha, Coeff, x0, y0, z0, &
      Time, x, y, z, s2
 TYPE(Mesh t), POINTER :: Mesh
 TYPE(ValueList_t), POINTER :: Params
 LOGICAL :: Found, NewTimestep
 SAVE Mesh, Params, prevtimestep, time, Alpha, Coeff, x0, y0, z0
 timestep = GetTimestep()
 NewTimestep = ( timestep /= prevtimestep )
 IF( NewTimestep ) THEN
   Mesh => GetMesh()
   Params => Model % Simulation
   time = GetTime()
Alpha = GetCReal(Params, charge density width)
   coeff = GetCReal(Params, 'charge density coefficient')
   x0 = GetCReal(Params, 'charge center x'
   y0 = GetCReal(Params, 'charge center y')
z0 = GetCReal(Params, 'charge center z')
   prevtimestep = timestep
 END IF
  ! coordinate of the operation point
 x = Mesh % Nodes % x(n)
 y = Mesh % Nodes % y(n)
 z = Mesh % Nodes % z(n)
 ! Note that we don't take square root
 s2 = (x-x0)**2 + (y-y0)**2 + (z-z0)**2
 f = Coeff * EXP( -2*s2 / Alpha**2 )
END FUNCTION GaussianCharge
```

```
File Edit Search
               Preferences Shell Macro Windows
ChargeDensity.F90
                                   halfcube.grd
                 case.sif
***** ElmerGrid input file for structured grid generation *****
Version = 210903
Coordinate System = Cartesian 3D
Subcell Divisions in 3D = 2 1 1
Subcell Limits 1 = -1 \ 0 \ 1
Subcell Limits 2 = 0 2
Subcell Limits 3 = 0.1
|Material Structure in 2D
 1 1
End
Materials Interval = 1 1
Boundary Definitions
! type
           out
                     int
          -3
End
Numbering = Horizontal
Element Degree = 1
Element Innernodes = False
Element Ratios 1 = 0.1 \ 10.0
Element Ratios 2 = 10.0
Element Ratios 3 = 10.0
Element Divisions 1 = 20 20
Element Divisions 2 = 30
Element Divisions 3 = 20
```

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```
Elecrostatics for moving gaussian charge
 P.R. 29.11.2016
Check Keywords Warn
Header
 Mesh DB "." "halfcube"
End
Simulation
 Max Output Level = 20
 Coordinate System = Cartesian
 Simulation Type = Scanning
 Steady State Max Iterations = 1
 Output File = "case.result"
  Post File = "case.vtu"
 Coordinate Scaling = 0.01
 Pseudo timesteps, electrostatics inherently is not dependent on time
 Timestep Intervals = 20
 Parameters for the charge density
 Charge density width = Real 1.0e-3
 charge density coefficient = Real 1.0
 charge center x = Real 0.0
 Note the way coordinate y depends on time
 charge center y = Variable time
Real MATC "0.01-(tx-1)*0.0005"
 charge center z = Real 0.0
Constants
! You should multiply the diffusive flux by this to get Coulombs
 Permittivity Of Vacuum = 8.8542e-12
End
Body 1
 Equation = 1
 Material = 1
 Body Force = 1
End
Equation 1
 Active Solvers(1) = 1
End
Body Force 1
 Charge Density = Variable time
    Real Procedure "ChargeDensity" "GaussianCharge"
End
```

```
Solver 1
  Equation = Stat Elec Solver
 Variable = Potential
 Variable DOFs = 1
 Procedure = "StatElecSolve" "StatElecSolver"
 For large 3D cases the iterative method is needed
 Linear System Solver = Iterative
 Linear System Symmetric = True
 Linear System Iterative Method = CG
 Linear System Max Iterations = 1000
 Linear System Convergence Tolerance = 1.0e-10
 Linear System Residual Output = 10
 Linear System Preconditioning = ILU0
 Nonlinear System Max Iterations = 1
 For some reason this does not seem to work, I'll look into it
 Exported Variable 1 = Potential Load
 Calculate Loads = True
Solver 2
 Exec Solver = after timestep
 Equation = SumCharges
 Filename = f.dat
 Procedure = "SaveData" "SaveScalars"
 Variable 1 = time
 Variable 2 = Potential
 Operator 2 = min
 Operator 3 = max
 This is an alternative way to compute fluxes i.e. surface charge: \int d\phi/dn dA
Operator 4 = diffusive flux
 This should be the preferred way to compute surface charge but does not seem to work
Variable 5 = Potential Load
 Operator 5 = boundary sum
 You could append result to existing result file
! File Append = True
Material 1
 Relative Permittivity = 1
 Heat Conductivity = :
 Density = 1
End
Boundary Condition 1
 Name = "Bottom"
 Target Boundaries = 1
 Potential = 0.0
 The integration (and summing) is performed for this boundary
 Save Scalars = True
Boundary Condition 2
Name = "Sides"
 Target Boundaries (4) = 2 3 4 5
 This keyword enforces an approximation that assumes that the field decays as 1/r^2 to infinity
 Electric Infinity BC = Logical True
Boundary Condition 3
Name = "Symmetry"
 Target Boundaries = 6
```